

# Thermal impact of weather on the humans\*

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\*Invited presentation on the conference  
**„Advanced technology for solving the  
meteorological challenges”**, 14-15  
November, 2018, Zagreb, Croatia

# Content

- Motivation
- Models [human body and clothing, environment (weather), metabolic activity (19 transparencies)]
- Data (weather, human (5 transparencies))
- Results (about 25 transparencies)
- Conclusions

# Why humans and weather?

- Since I was educated as **biometeorologist** and this field was still „open” for me.
- So, this work is my hobby, pliancy to stringency.

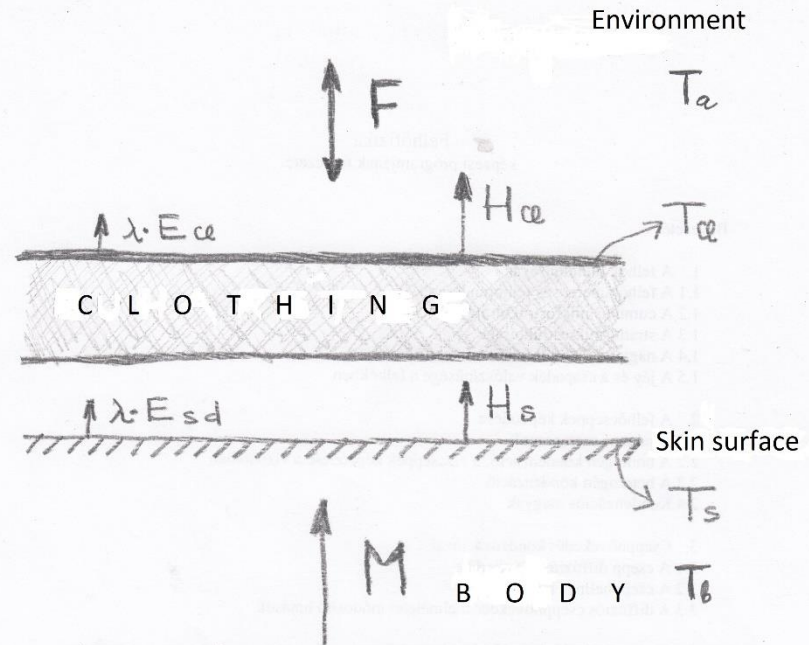
# Humans in outdoor conditions

- In outdoor environment, humans are mostly walking. So, human body is impacted by both environmental (E) and metabolic heat (M) forcing. These two effects are „balanced” by changing of the clothing.
- Our goal is to present the main equations of a **human body-clothing energy balance model** to characterise humans' heat forcing in terms of **clothing**.

# Human body-clothing model – main suppositions

- Two-layer model: layer 1: human body and the skin surface ( $T_s=34$  °C); layer 2: clothing. Air layer between skin surface and clothing is not taken into account, that is, clothing sticks strongly to the skin surface.
- Our basic supposition: human is in the movement, but it **doesn't sweat** during the movement (sweating is consequence of the unbalanced heat exchange!).

# 2-layer clothing-body model



- $H_{ce}$  - heat clothing
- $H_s$  - heat skin
- $T_{ce}$  - temperature clothing
- $T_s$  - temperature skin
- $\lambda \cdot E_{ce}$  - latent heat clothing
- $\lambda \cdot E_{sd}$  - latent heat skin
- $M$  - metabolic heat rate
- $F$  - forcing (heat rate) radiation

The model schematically

# Some state variables, flux densities and parameters

- $T_b$  = body temperature,  $\sim 37$  °C,
- $T_s$  = skin temperature,  $\sim 34$  °C,
- $T_{cl}$  = clothing temperature [°C],
- $T_a$  = air temperature [°C],
  
- $\lambda E_r$  = latent heat flux of respiration via trap (not denoted) [ $\text{Wm}^{-2}$ ]
- $r_{cl}$  = heat resistance of clothing [ $\text{sm}^{-1}$ ]. It is usually expressed in [Clo].  
 **$1 \text{ [Clo]} = 186.7 \text{ sm}^{-1}$ .**

# Main equations

- $$r_{cl} = \rho c_p \cdot \frac{T_s - T_a}{M - (\lambda E_{sd} + \lambda E_r) - W} - r_{Hr} \cdot \left( \frac{R_{ni}}{M - (\lambda E_{sd} + \lambda E_r) - W} + 1 \right). \quad (1)$$

$r_{cl}$  is a „resistance” (let you see its resistance dimension [ $\text{sm}^{-1}$ ]) expressing either

- warming effect in cold weather/climate or
- cooling effect in warm weather/climate

which is needed for reaching heat balance of the human body-clothing system.



# Negative $r_{cl}$

- So far only positive  $r_{cl}$  values are used and considered in the scientific literature.
- I do not know the reason why it is so, I presume because **there is no such clothing in the day to day life which can refrigerate in warm conditions.**

# Clothing – [Clo]-values

Insulation for the entire clothing:

$$I_{cl} = \sum I_{clu}$$



0.19

+

0.04

+

0.11

+

0.02

+

0.02

0.38



0.28



0.25



0.04



0.25



0.05



0.04

0.91

# Main equations

- $$T_o = T_S - (r_{Hr} + r_{cl}) \cdot \frac{M - (\lambda E_{sd} + \lambda E_r) - W}{\rho c_p} . \quad (2)$$

- $$T_o = T_a + \frac{R_{ni}}{\rho c_p} \cdot r_{Hr} . \quad (3)$$

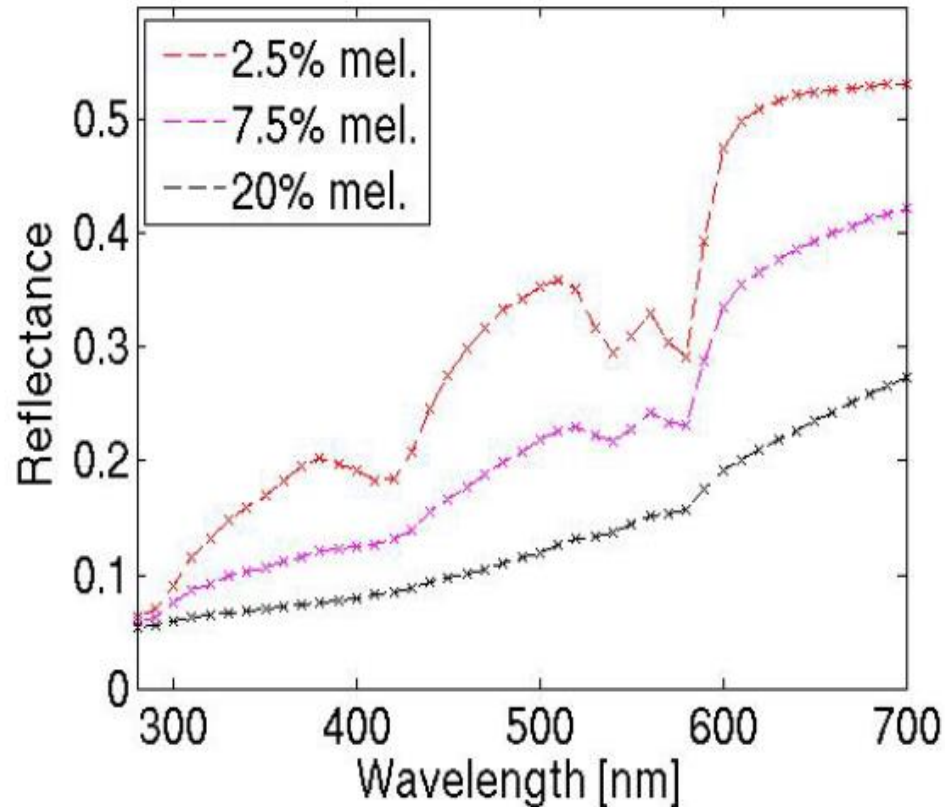
# Net isothermal radiation $R_{ni}$

$$R_{ni} = S \cdot (1 - \alpha_{cl}) + \varepsilon_a \sigma T_a^4 - \varepsilon_{cl} \sigma T_a^4$$

$S$  = global radiation,  $\alpha_{cl}$  = clothing's or skin's albedo,  $\varepsilon_a$  = atmospheric emissivity and  $\varepsilon_{cl}$  = clothing's or skin's emissivity.

In the model,  $\alpha_{cl} = 0.25-0.27$  and  $\varepsilon_{cl} = 1$  (the values are taken from literature).  $S$  and  $\varepsilon_a$  have to be parameterized!

$\alpha_{\text{skin}}?$



*Figure 2. Skin reflectance in the wavelength regions of UVB (280-320 nm), UVA (320-400 nm) and visible (400-700 nm) for three different concentrations of melanosomes in the epidermis corresponding to skin types II, III and IV, respectively.*

# Parameterization of S

- S is parameterized as function of relative sunshine duration ( $n/N$ ) (Mihailović and Ács, 1985).
- Both hourly [ $\text{MJ}\cdot\text{m}^{-2}\cdot\text{h}^{-1}$ ] and daily [ $\text{MJ}\cdot\text{m}^{-2}\cdot\text{day}^{-1}$ ] values are considered.
- $$S = Q_0 \left[ \alpha + (1 - \alpha) \cdot \frac{n}{N} \right],$$

# Q<sub>0</sub> values

$$Q'_0 = \sum_{i=1}^m Q_{0i} \quad (4)$$

## I. TÁBLÁZAT

*A számított Q<sub>0</sub> mennyiség óra (MJ m<sup>-2</sup> óra<sup>-1</sup>) és napi (MJ m<sup>-2</sup> nap<sup>-1</sup>) értékeinek havi átlaga az 1966–1970 évi periódusra Újvidéken*

Óraker	J	F	M	A	M	J	J	A	S	O	N	D
4–5					0,523	0,155	0,243					
5–6				0,398	0,440	0,502	0,444	0,410				
6–7			0,586	0,733	0,917	0,996	0,854	0,762	1,139	0,448		
7–8		0,452	0,862	1,197	1,516	1,566	1,520	1,290	0,913	0,586	0,389	0,293
8–9	0,498	0,892	1,390	1,796	2,089	2,114	2,052	1,851	1,453	1,030	0,682	0,829
9–10	0,938	1,331	1,859	2,299	2,621	2,562	2,537	2,299	1,985	1,486	1,080	1,047
10–11	1,340	1,712	2,206	2,625	2,960	2,872	2,876	2,613	2,282	1,813	1,415	1,369
11–12	1,503	1,909	2,366	2,780	3,140	3,128	3,086	2,759	2,433	1,976	1,545	1,344
12–13	1,390	1,897	2,395	2,801	3,107	3,148	3,040	2,759	2,395	1,959	1,541	1,285
13–14	1,344	1,746	2,165	2,587	2,960	2,952	2,914	2,608	2,160	1,792	1,357	1,114
14–15	0,925	1,310	1,817	2,269	2,554	2,625	2,562	2,290	1,846	1,398	0,992	0,821
15–16	0,507	0,846	1,302	1,758	2,131	2,240	2,144	1,905	1,352	0,913	0,578	0,348
16–17	0,167	0,373	0,754	1,214	1,553	1,637	1,562	1,256	0,795	0,452	0,205	0,318
17–18			0,440	0,649	0,946	1,047	0,959	0,670	0,385	0,243		
18–19				0,134	0,377	0,523	0,440	0,209				
19–20					0,126	0,268	0,255					
Nap	8,612	12,468	18,141	23,241	27,959	28,336	27,486	23,681	19,138	14,097	9,785	8,767

# $\alpha$ values

Látható fokozatos csökkenésük szeptembertől decemberrig, majd márciusig.

## II. TÁBLÁZAT ( $\alpha$ )

A számított mennyiség óra- és napi értékeinek több éves havi átlaga az 1966 – 1970. évi periódusra Újvidéken

Óraköz	J	F	M	A	M	J	J	A	S	O	N	D
4 – 5					0,07	0,37	0,12					
5 – 6				0,22	0,39	0,47	0,47	0,35				
6 – 7			0,32	0,46	0,36	0,39	0,59	0,45	0,17	0,11		
7 – 8		0,35	0,38	0,39	0,36	0,36	0,34	0,38	0,43	0,35	0,18	0,04
8 – 9	0,39	0,39	0,38	0,34	0,37	0,34	0,35	0,37	0,44	0,36	0,29	0,17
9 – 10	0,42	0,42	0,39	0,35	0,35	0,32	0,31	0,40	0,42	0,39	0,31	0,28
10 – 11	0,43	0,39	0,40	0,35	0,32	0,34	0,34	0,37	0,40	0,38	0,30	0,30
11 – 12	0,42	0,40	0,35	0,34	0,31	0,35	0,35	0,38	0,38	0,41	0,30	0,35
12 – 13	0,47	0,41	0,35	0,34	0,32	0,37	0,34	0,37	0,35	0,41	0,31	0,37
13 – 14	0,39	0,39	0,35	0,33	0,31	0,34	0,29	0,33	0,39	0,38	0,30	0,35
14 – 15	0,41	0,37	0,32	0,34	0,33	0,37	0,31	0,45	0,43	0,35	0,32	0,30
15 – 16	0,38	0,36	0,32	0,30	0,33	0,32	0,28	0,31	0,40	0,38	0,29	0,35
16 – 17	0,25	0,33	0,31	0,37	0,30	0,35	0,34	0,37	0,44	0,38	0,22	0,05
17 – 18			0,18	0,37	0,38	0,34	0,43	0,33	0,34	0,10		
18 – 19				0,45	0,39	0,42	0,40	0,38				
19 – 20					0,15	0,22	0,17					
Súlyozott napi átlag	0,42	0,39	0,35	0,34	0,33	0,35	0,34	0,37	0,39	0,37	0,30	0,29

## III. TÁBLÁZAT

A konvergencia-együttható értékei havonként az 1966 – 1970 évi periódusban

	1966	1967	1968	1969	1970		1966	1967	1968	1969	1970
Jan.	0,456	0,235	0,335	0,212	0,281	Júl.	0,100	0,250	0,120	0,250	0,080



# Parameterization of $\epsilon_a$

- $\epsilon_a$  depends on climate type! For Köppen's Cfb climate type the following formula is valid:

- $$\epsilon_a = \left[ 0,319 + 0,379 \cdot \left(\frac{e}{T_a}\right)^{\left(\frac{1}{7}\right)} \right] \cdot (1 - N^{1,7}) + 0,93 \cdot N^{1,7}$$

$e$  is vapor pressure [Pa],  $T_a$  is air temperature [K],  $N$  is cloudiness (0 for cloudless and 1 for completely overcast conditions).

# Parameterization of $r_{Hr}$

$$\bullet \frac{1}{r_{Hr}} = \frac{1}{r_{Ha}} + \frac{1}{r_R} \rightarrow r_{Hr} = \frac{r_{Ha} \cdot r_R}{r_{Ha} + r_R};$$

where

$$r_{Ha} = 7,4 \cdot 41 \cdot \sqrt{\frac{D}{U_{1,5}}}, \quad \frac{1}{r_R} = \frac{4\varepsilon_{cl}\sigma T_a^3}{\rho c_p}.$$

D is diameter of that cylindrical body by which human body is approached.

Dimension of  $r_{Ha}$ ,  $r_R$  and  $r_{Hr}$  is  $[sm^{-1}]$ .

# Parameterization of M

- M is parameterized for walking human since this movement formation is most frequent in the outdoor environment! Walking's speed is assumed to be  $1.1 \text{ ms}^{-1}$  ( $4 \text{ km}\cdot\text{h}^{-1}$ ). Metabolic rate (M [ $\text{Wm}^{-2}$ ]) during walking can be expressed as
- $$M = M_b + M_w$$

where  $M_b$  is the basal metabolic rate and  $M_w$  is the metabolic rate referring to walking.

# Parameterization of $M_b$

- $M_b$  can be measured or parameterized! It depends strongly on age, gender, body mass and body length. In this model, Frankenfield et al.'s (2005) parameterization is used!
- Male: 
$$M_b = 9,99 \cdot M_b [kg] + 6,25 \cdot L_b [cm] - 4,92 \cdot age [year] + 5,$$
- Female: 
$$M_b = 9,99 \cdot M_b [kg] + 6,25 \cdot L_b [cm] - 4,92 \cdot age [year] - 161.$$

# Parameterization of $M_b$

- $M_b$  is given in [ $\text{kcal}\cdot\text{day}^{-1}$ !]! To express it in [ $\text{Wm}^{-2}$ ], human body's surface ( $A$ ) has also to be calculated.
- This is done according to Dubois and Dubois (1915) using body mass [ $\text{kg}$ ] and body length [ $\text{m}$ ] as inputs.
- $A[\text{m}^2] = 0,2 \cdot M_b[\text{kg}]^{0,425} \cdot L_b[\text{m}]^{0,725}$ .

# Parameterization of $M_w$

- $M_w$  is parameterized according to Weyand et al. (2010)!

- $$M_w = \frac{1.1 \cdot 3.80 \cdot L_b^{-0.95} \cdot M_b}{A}.$$

# Parameterization of $W$ and $(\lambda E_{sd} + \lambda E_r)$

- $W$  and  $(\lambda E_{sd} + \lambda E_r)$  are usually expressed as function of  $M$ .
- In this model,  $W = 0,1 \cdot M$  and
$$(\lambda E_{sd} + \lambda E_r) = 0,08 \cdot M.$$

# Data

- Model needs two data types: **weather**/climate and **human** data.

- Weather data:

$Q_0$ ,  $\alpha$  (knowing month and hour interval),

$n/N$  (observed in the given time interval),

$N$  (observed in the given time interval),

$T_a$  (taken from web sites or datasets),

$e$  (taken from web sites or datasets),

$U_{10}$  (taken from web sites or datasets;  $U_{1.5}$  is calculated assuming logarithmic wind profile)



# Source of weather data

- Relative sunshine duration, cloudiness: personal observations in the given time interval,
- All other state variables: web site of the Hungarian Meteorological Service:
- [https://www.met.hu/idojaras/aktualis\\_idojaras/megfigyeles/homerseklet/](https://www.met.hu/idojaras/aktualis_idojaras/megfigyeles/homerseklet/)

# Source of human data

- Human data: age, gender, body mass and body length for each person separately. Note D is taken as constant (0.33 m).
- All these data are obtained from **Department of Biological Anthropology** at ELTE, personally from **Annamária Zsákai**.
- Some of these data were already published (Utczás et al., 2015; Zsákai et al., 2015) in anthropological investigations!

# Systematization of human data

- Human data are organized according to the age: year 7, year 8, year 9, year 10, year 11, year 12, year 13, year 14, year 15, year 16, year 17, year 18, year 19, year interval 20-29, year interval 30-39, year interval 40-49, year interval 50-59, year interval 60-70.
- Each age class is represented only with four „extreme” humans (2 males and 2 females) who possess either the smallest/largest  $M_b$  or the smallest/largest  $L_b$ .

# Human datasets

- So, we have **two datasets** and two extraordinarily added two persons: **UTCI human** and **me!**
- Human data set 1: Male and female humans possessing the smallest and the largest  $M_b$  with corresponding  $L_b$  for all age classes.
- Human dataset 2: Male and female humans possessing the smallest and the largest  $L_b$  with corresponding  $M_b$  for all age classes.

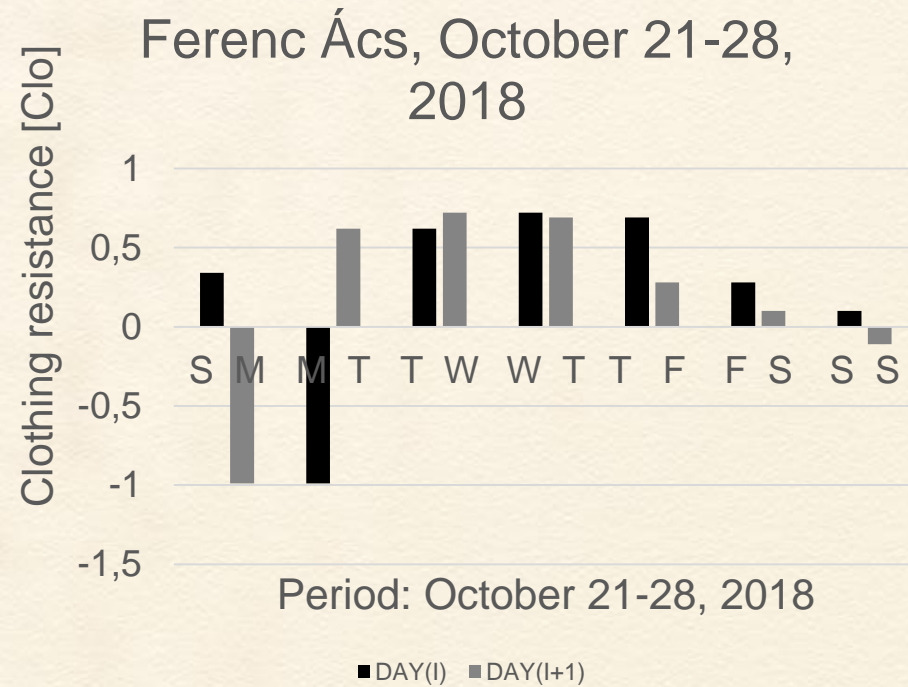
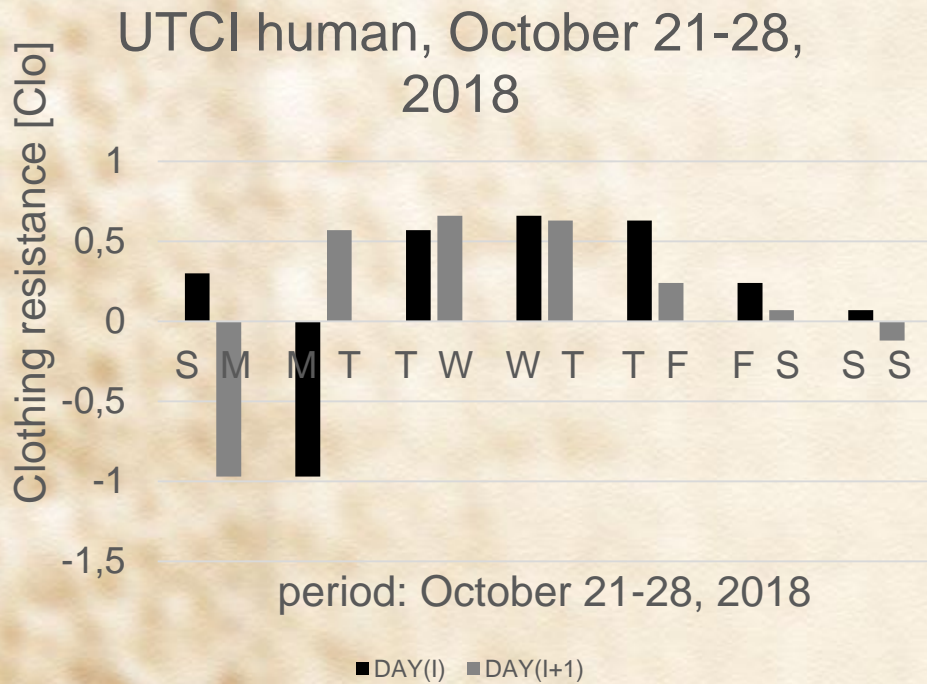
# Results

- Human thermal environment is analyzed in terms of  $r_{cl}$  and  $T_o$  considering both
  - weather variations and
  - interperson variations of humans.

# Weather variation effects

# Weather variations – 8 days

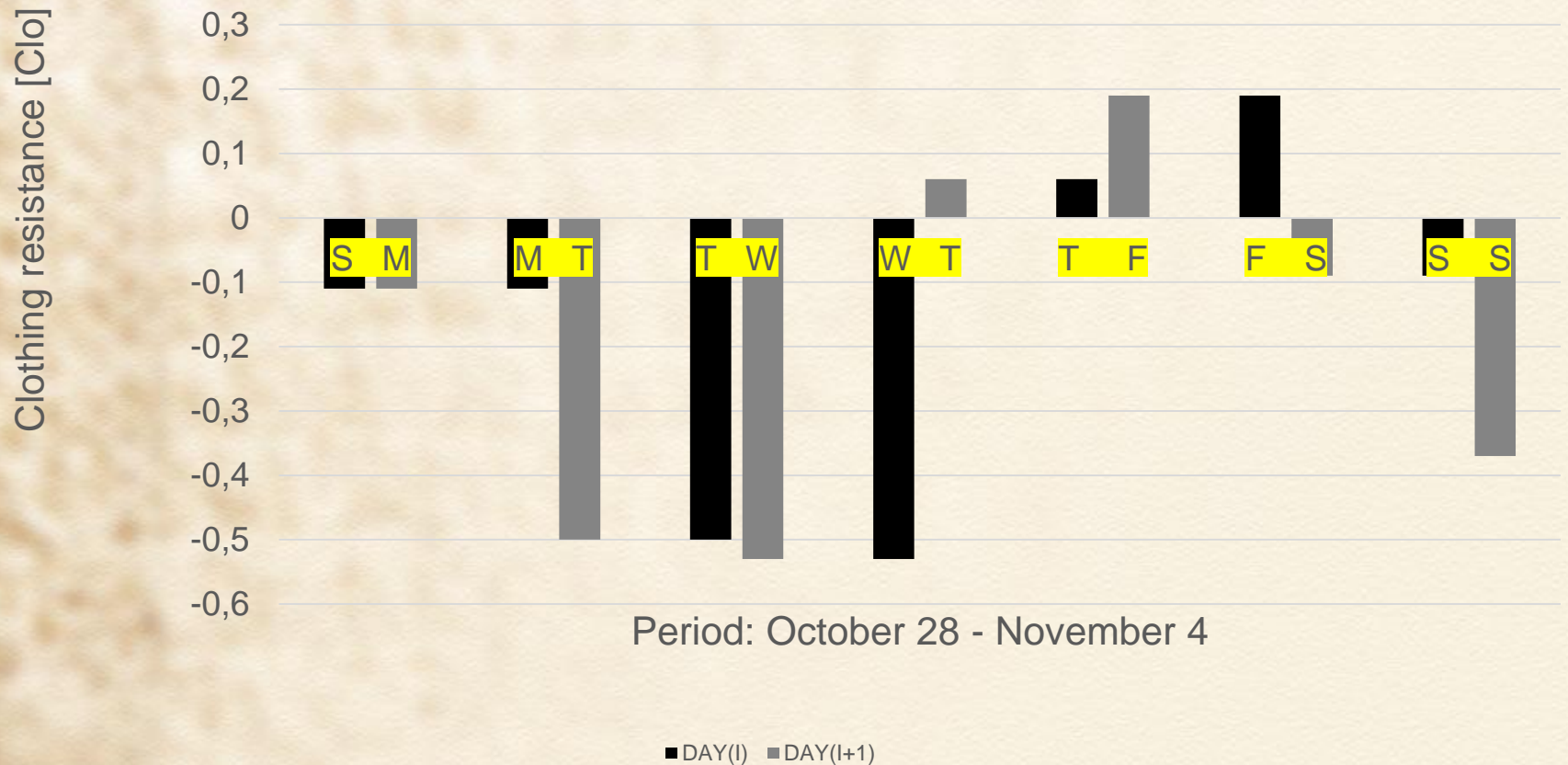
## period: October 21-28, 2018



# Weather variations – 8 days

period: October 28 – November 4, 2018

Ferenc Ács, October 28 - November 4, 2018

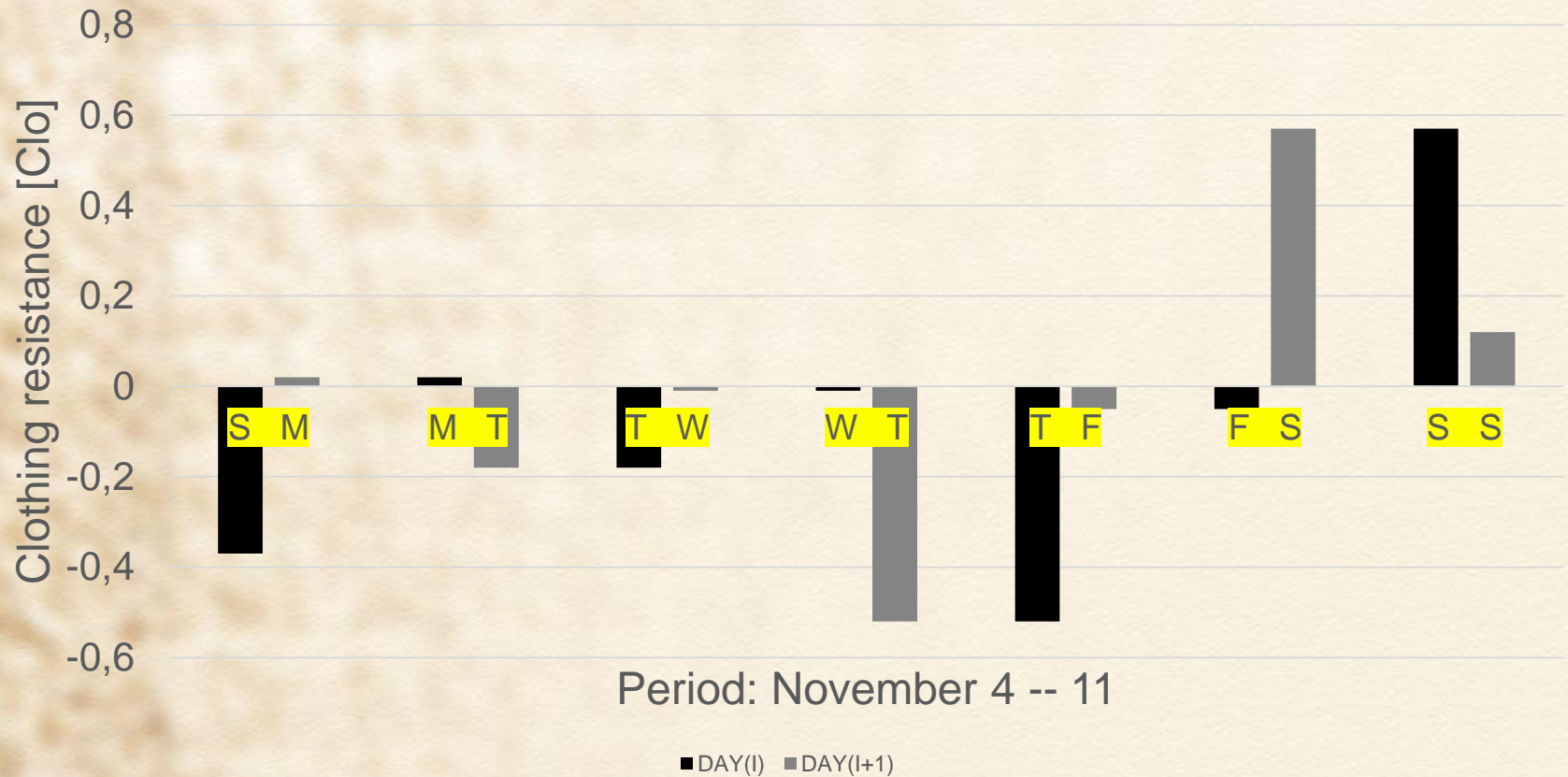




# Weather variations – 8 days

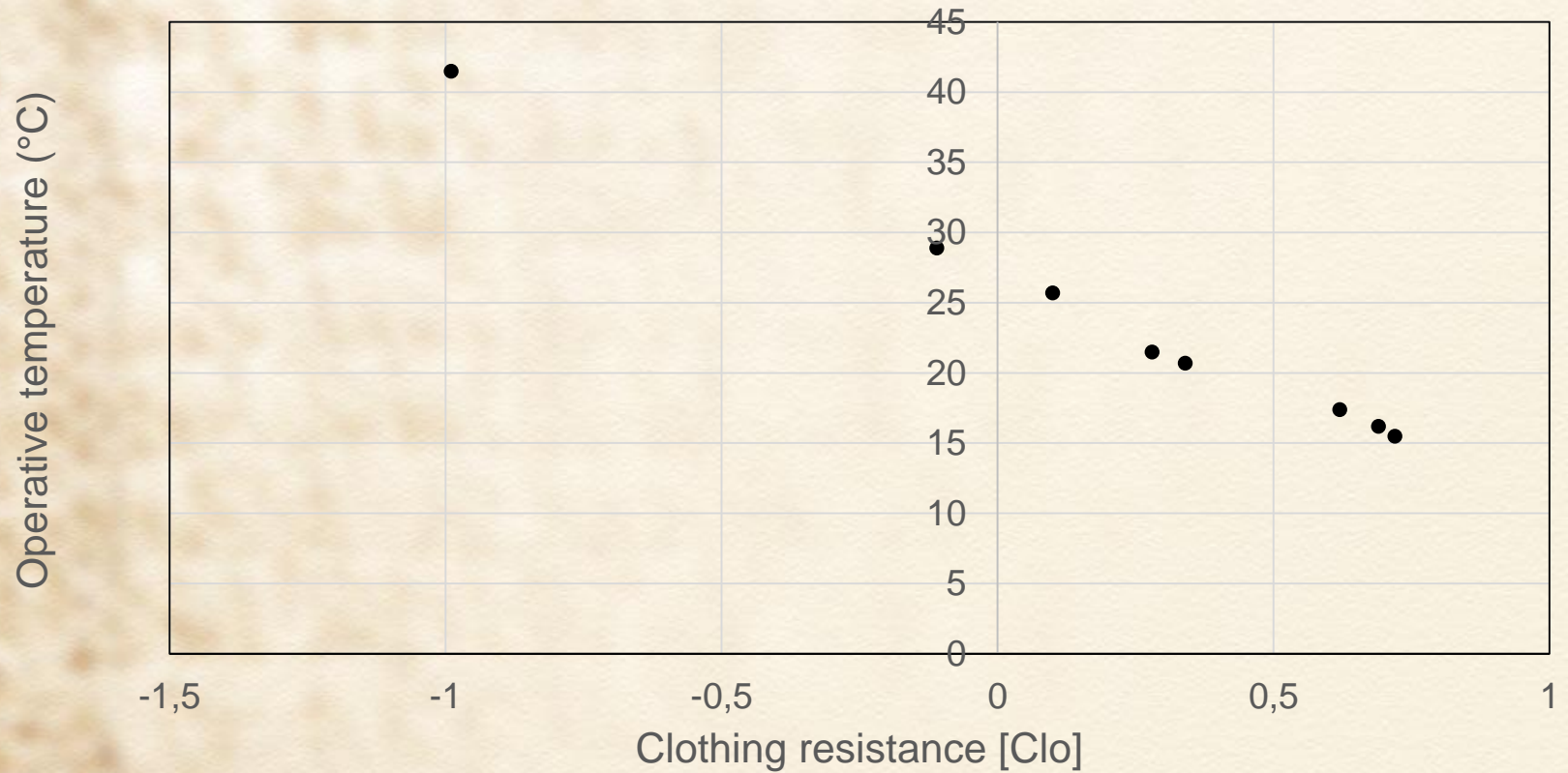
## period: November 4 – 11, 2018

Ferenc Ács, November 4 -- 11, 2018



# $r_{cl} - T_o$ relationship

Ferenc Ács, October 21-28, 2018



Interperson human variation effects

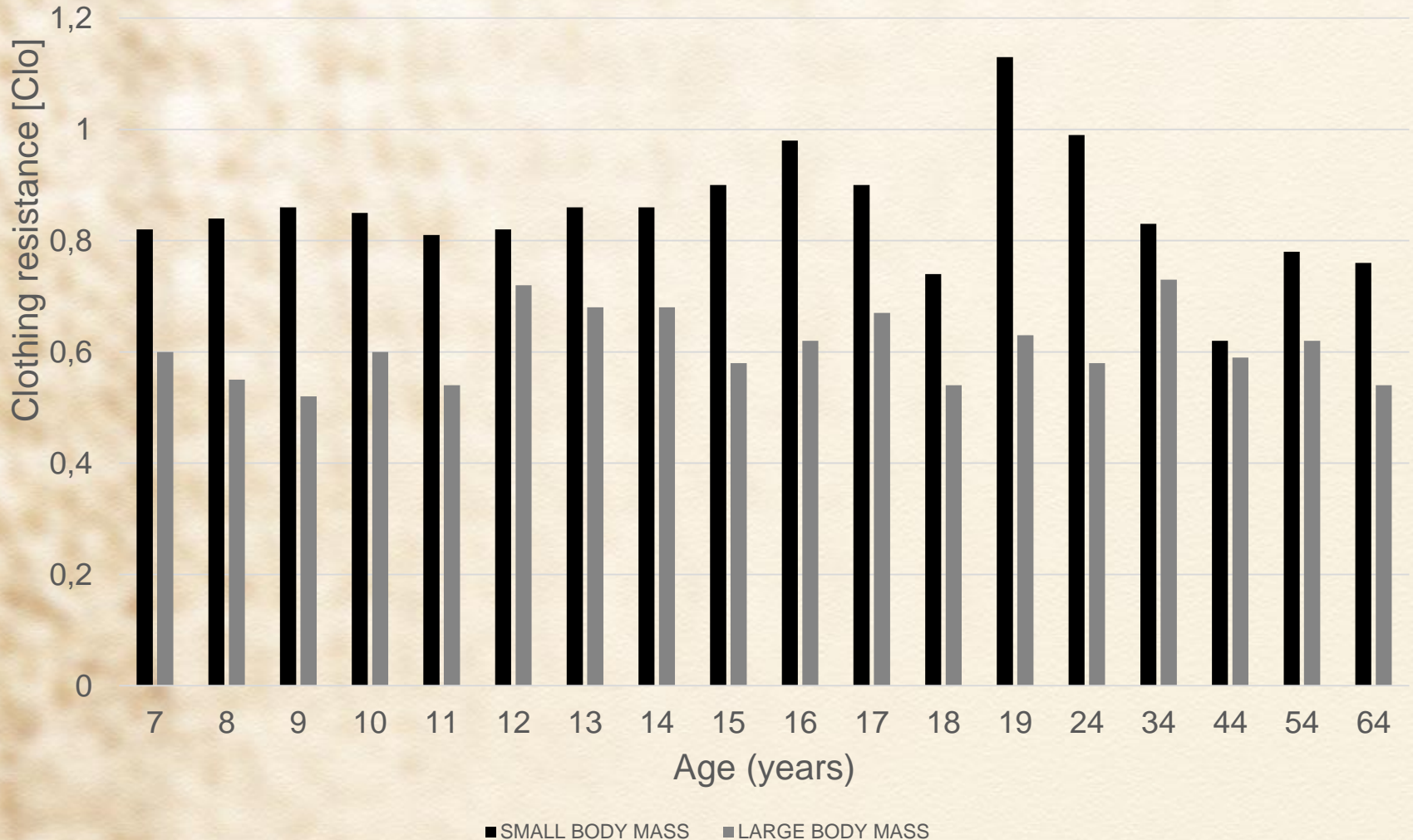
# On 1<sup>st</sup> January 2017

wonderful fog!

- time interval: 10.49 – 11.40
- $Q_0=1,503 \text{ MJm}^{-2}\text{h}^{-1}$ ,  $\alpha=0,42$ ,  $n/N=0$ ,  $N=1$ ,
- $T_a=-5,0 \text{ }^\circ\text{C}$ ,  $r=100\%$ ,  $U_{10}=0,80 \text{ ms}^{-1}$ .

# Male, on 1<sup>st</sup> January 2017

Male, SMALL versus LARGE body mass, 1st January 2017



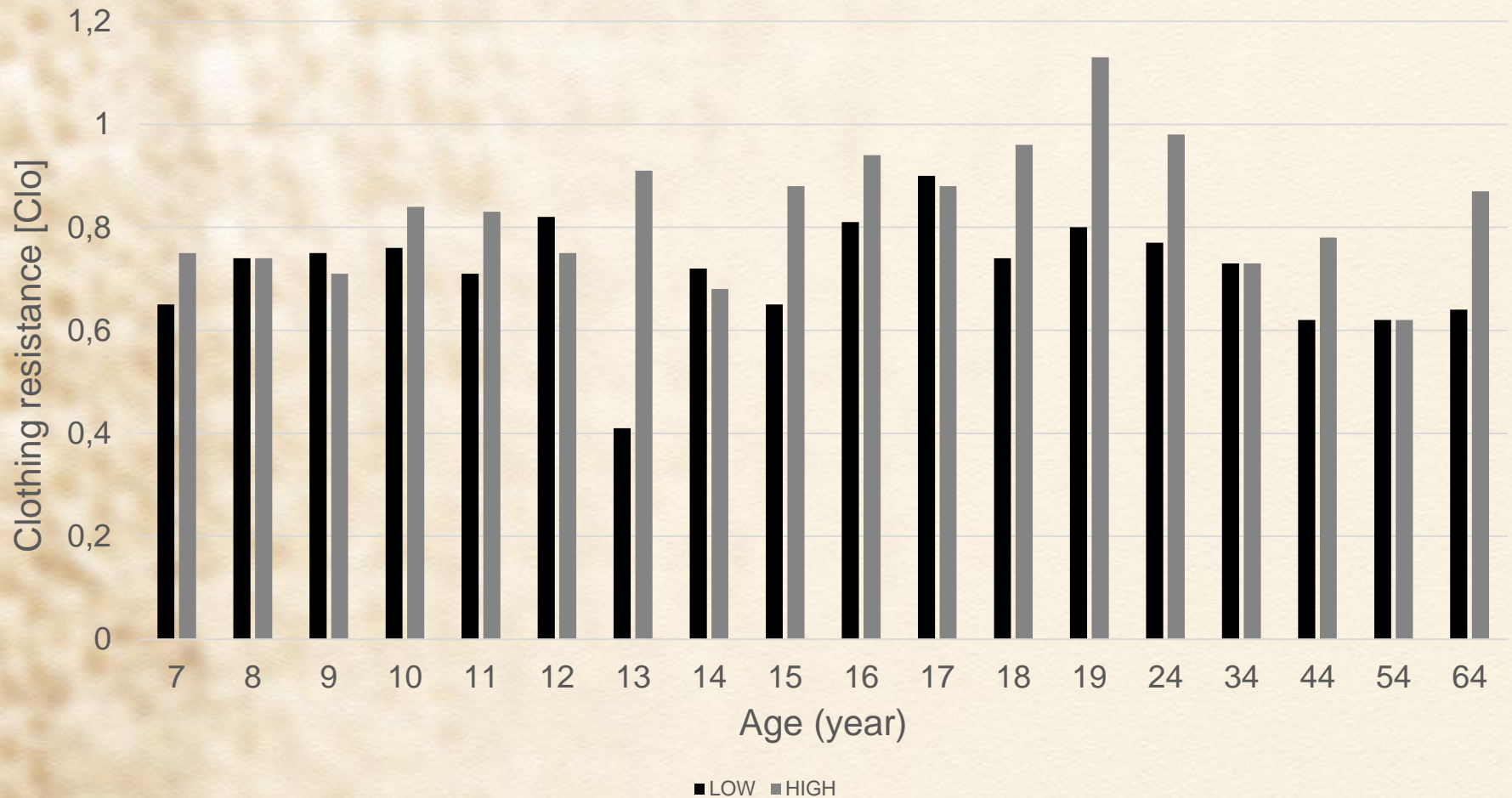
# Female, on 1<sup>st</sup> January 2017

Female, LOW versus HIGH body mass, 1st January, 2017



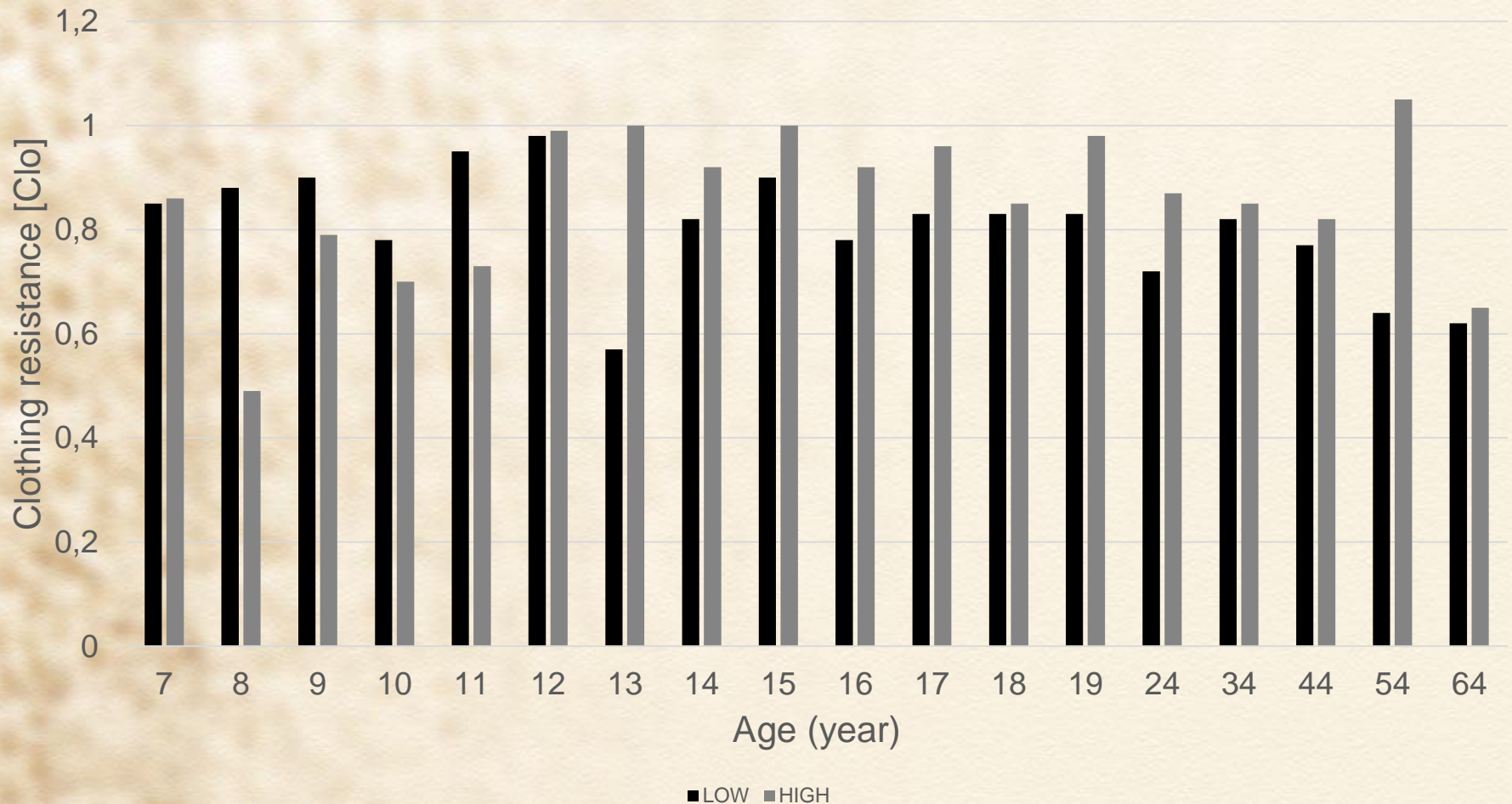
# Male, on 1<sup>st</sup> January 2017

MALE, SHORT versus TALL stature, 1st January 2017



# Female, 1<sup>st</sup> January 2017

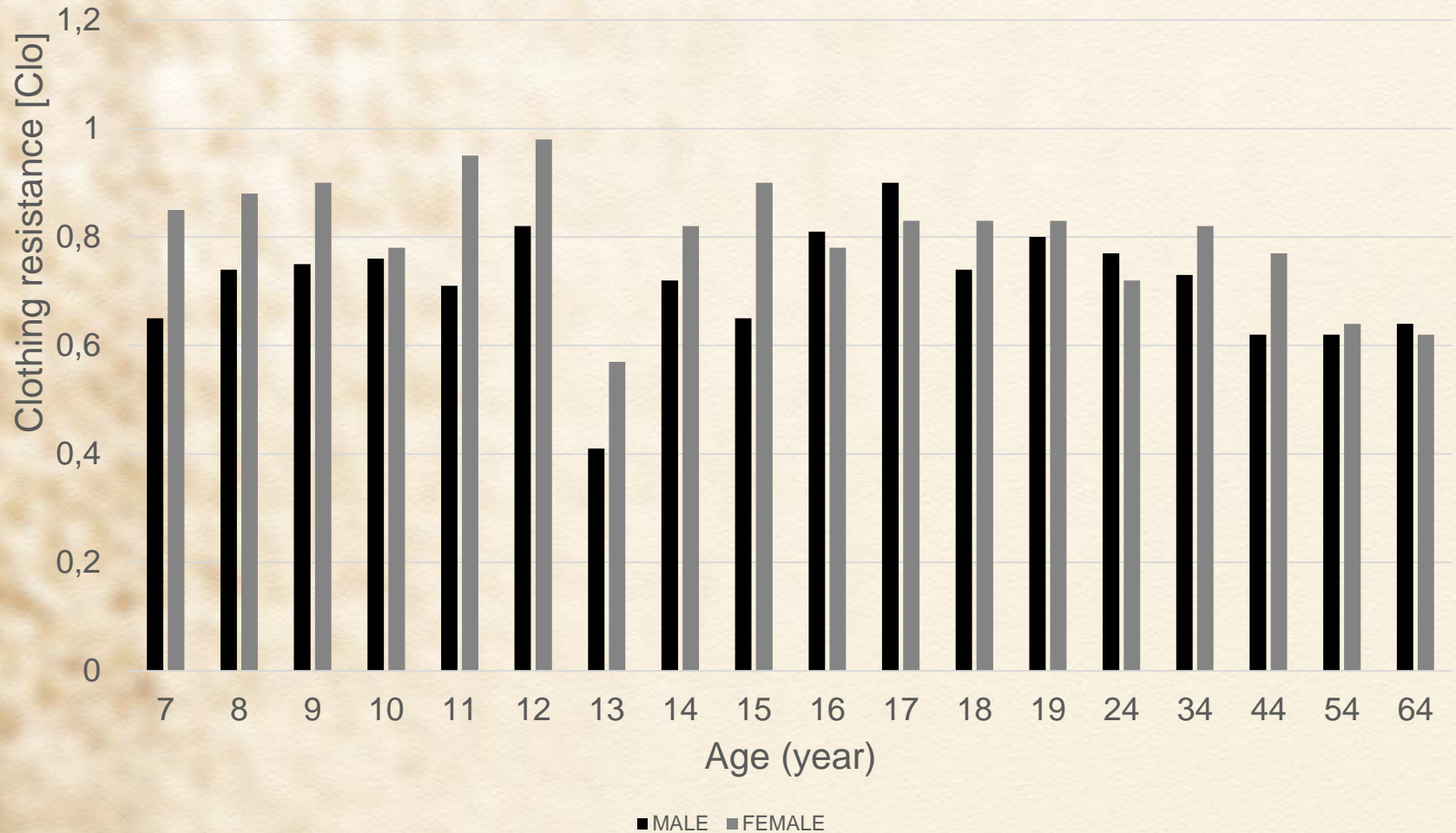
FEMALE, SHORT versus TALL stature, 1st January 2017





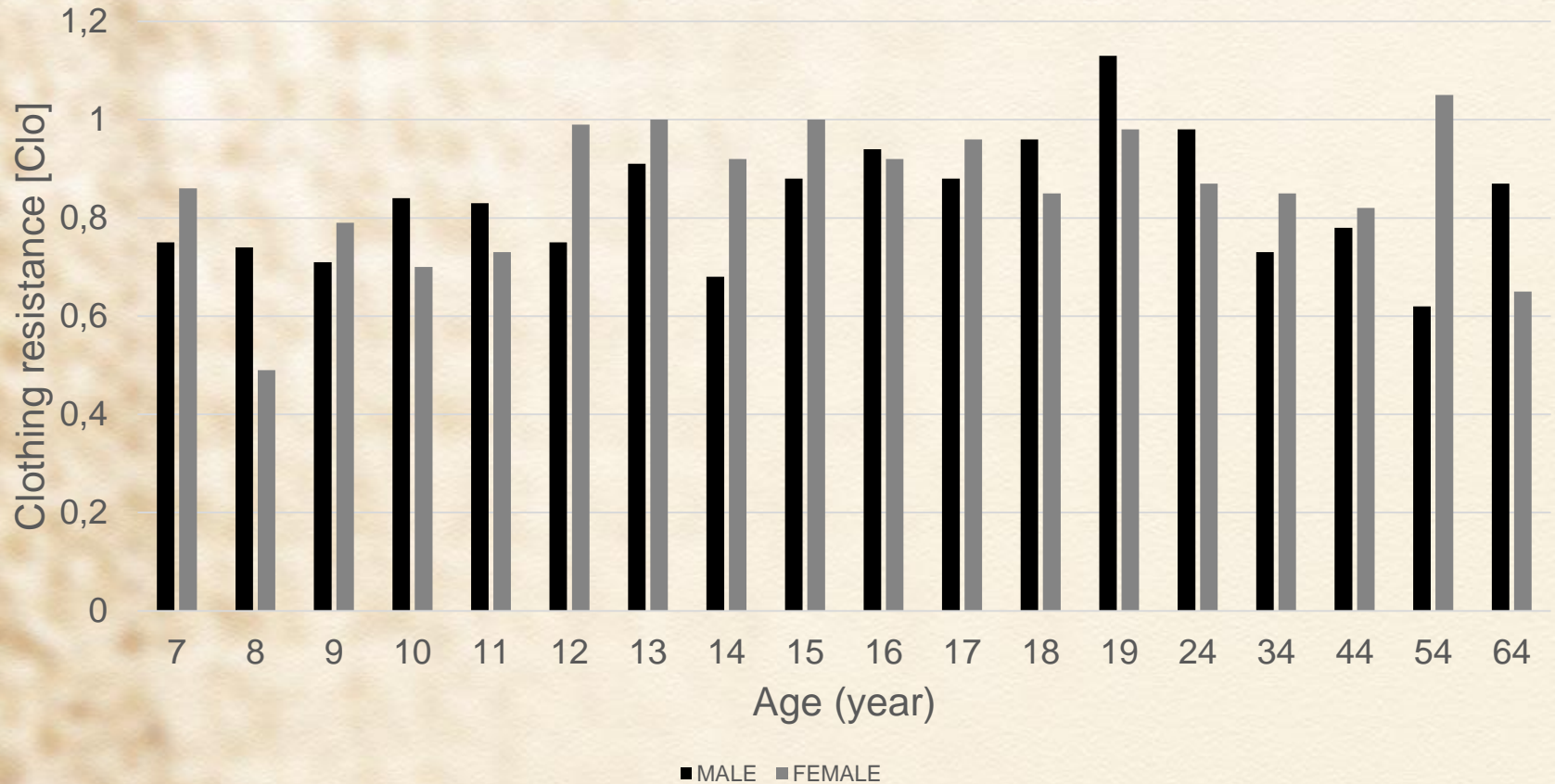
# Short stature, on 1<sup>st</sup> January 2017

SHORT stature, MALE versus FEMALE, 1st January 2017



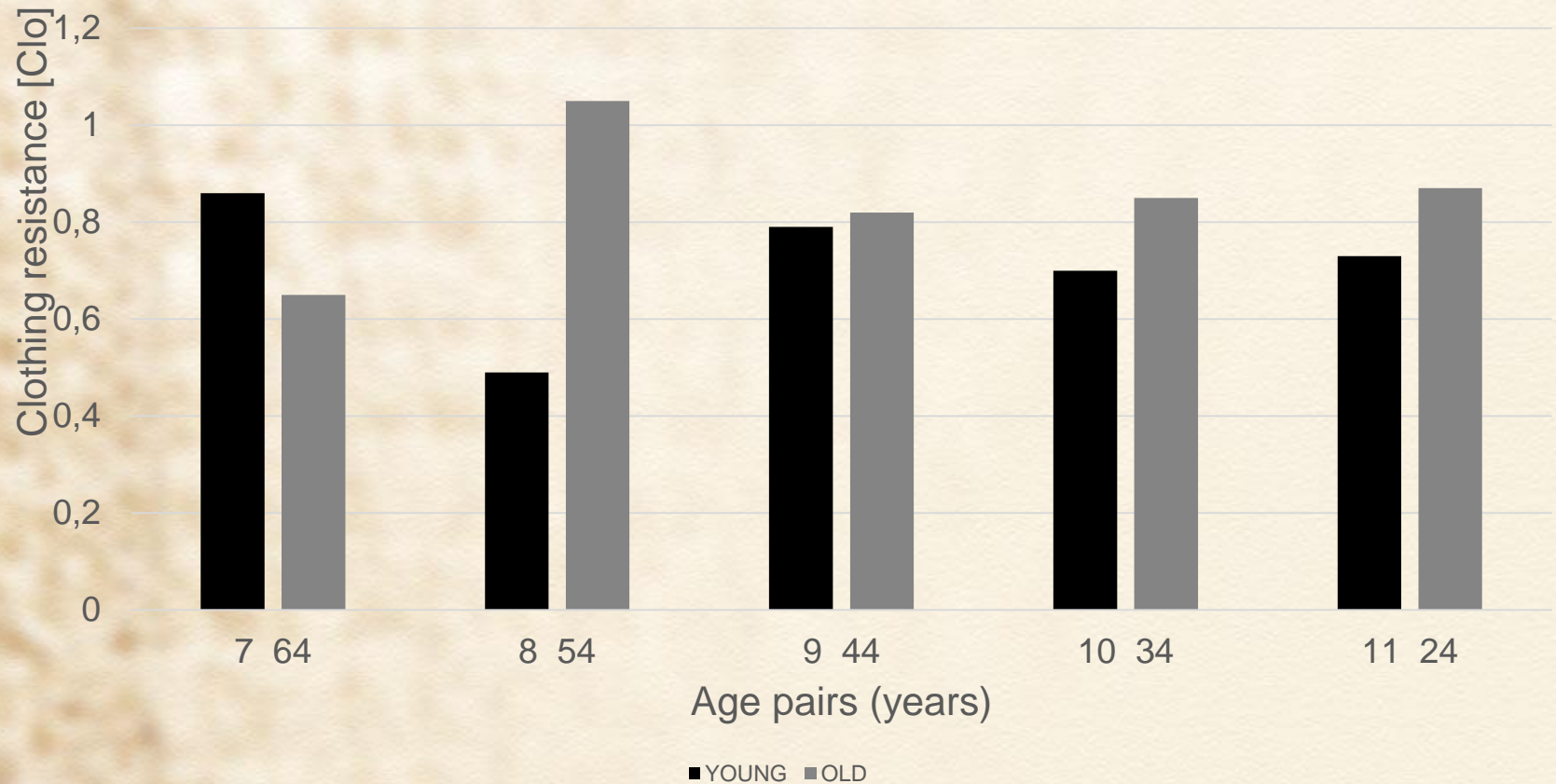
# Great stature, on 1<sup>st</sup> January 2017

TALL stature, MALE versus FEMALE, 1st January 2017



# On 1<sup>st</sup> January 2017

TALL stature-female: YOUNG versus OLD



# On 1<sup>st</sup> January 2017

SHORT stature-male: young versus old

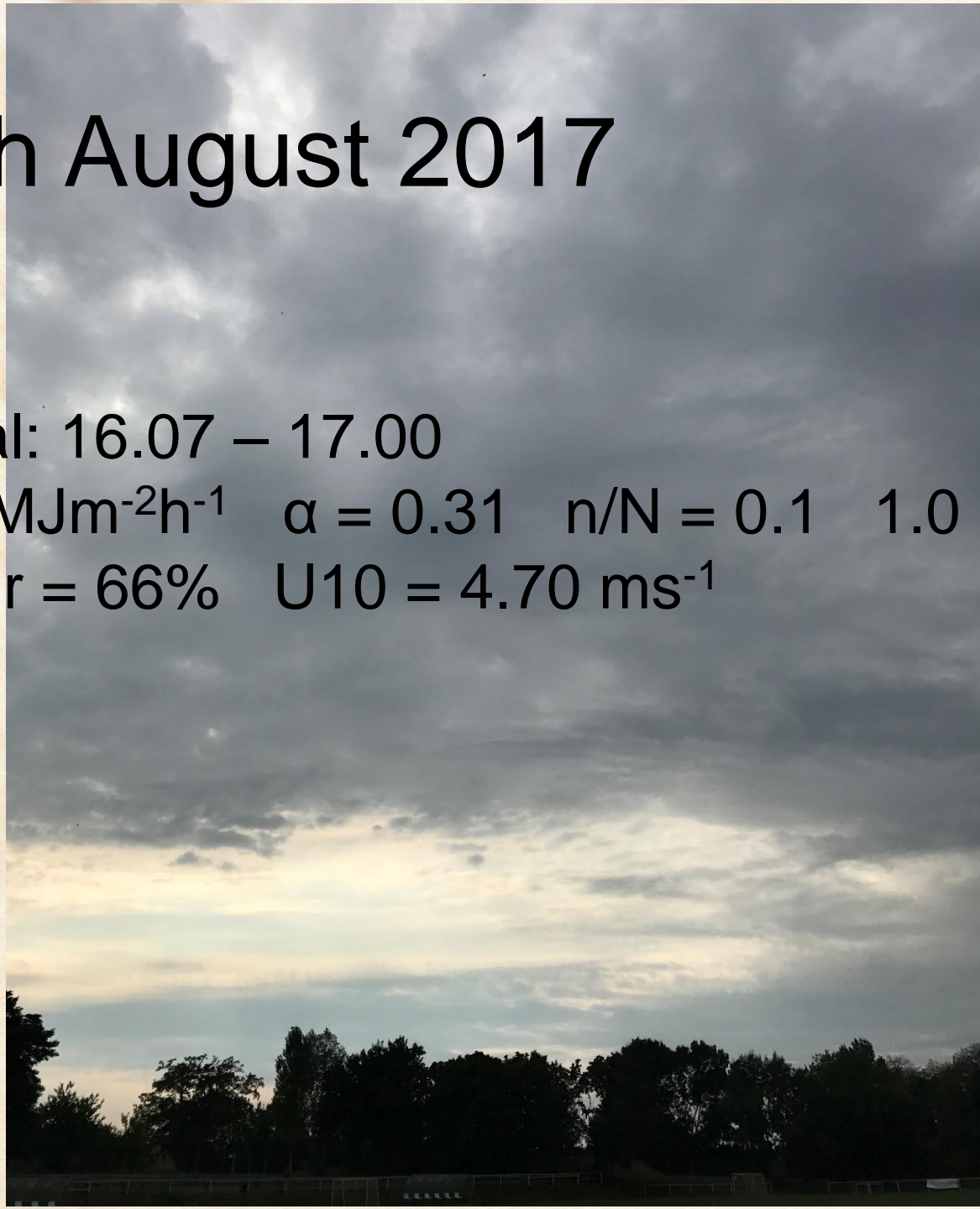


# On 19th August 2017

Time interval: 16.07 – 17.00

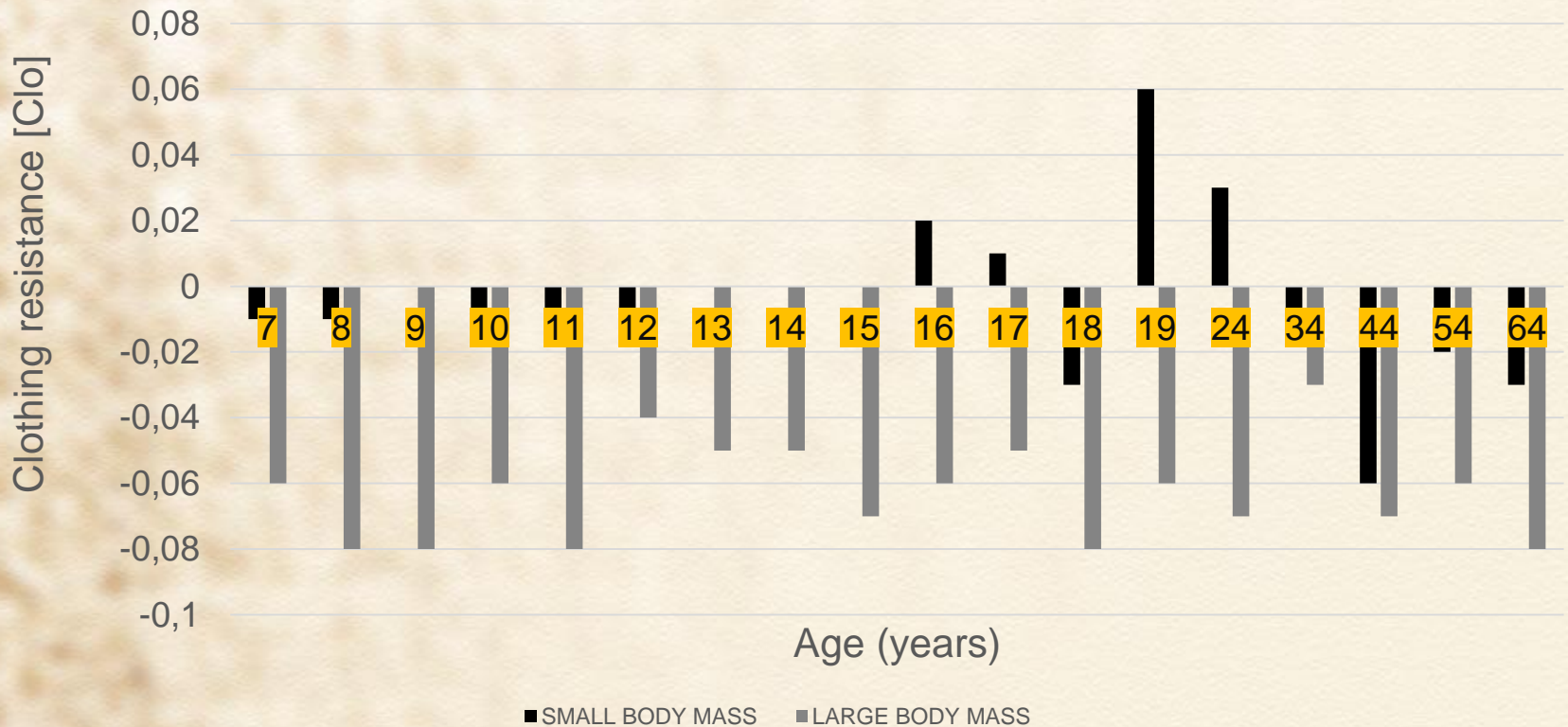
$Q_o = 1.905 \text{ MJm}^{-2}\text{h}^{-1}$     $\alpha = 0.31$     $n/N = 0.1$    1.0

$T_a = 23 \text{ }^\circ\text{C}$     $r = 66\%$     $U_{10} = 4.70 \text{ ms}^{-1}$



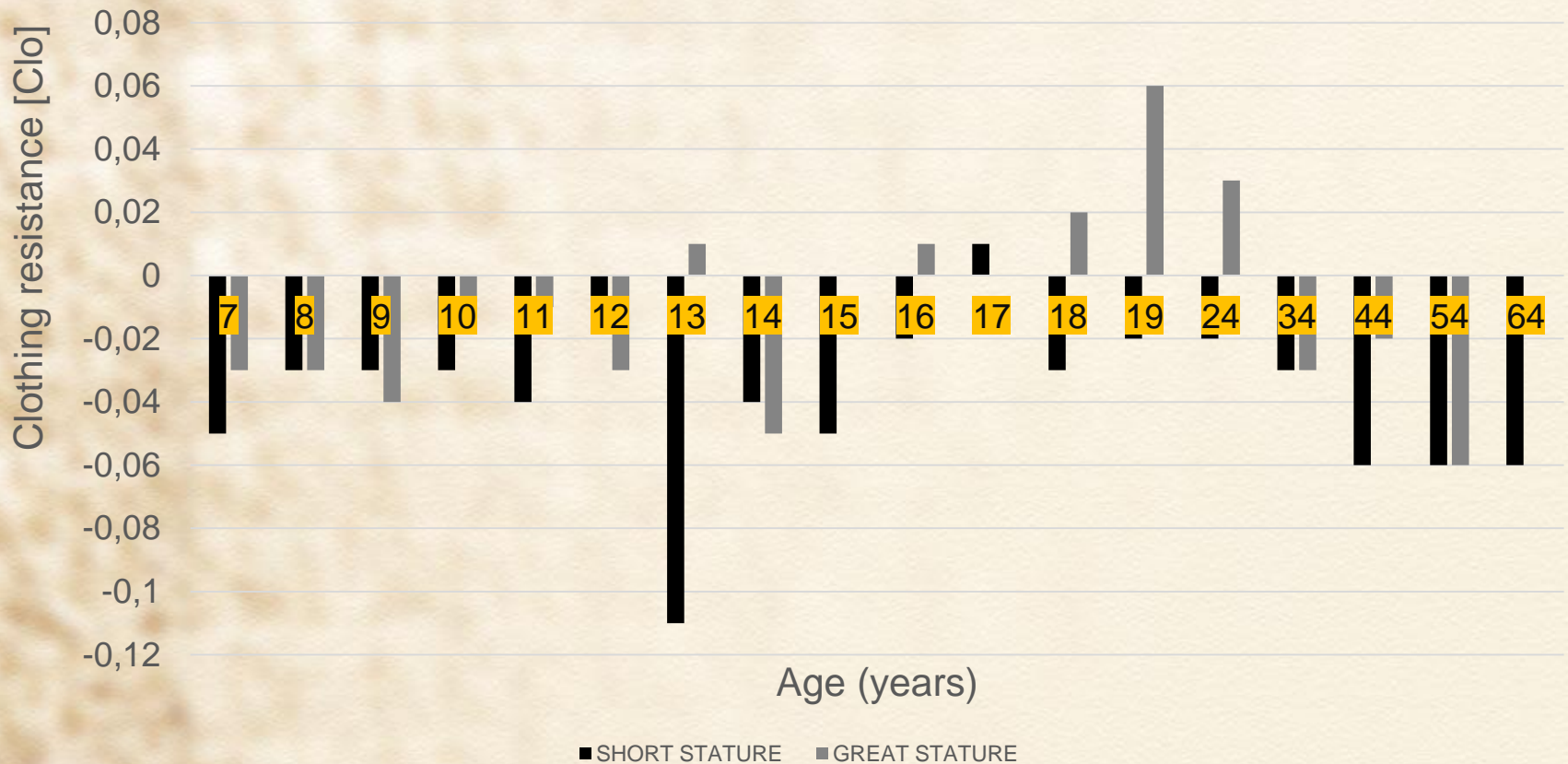
# Male, on 19<sup>th</sup> August 2017

Male, SMALL versus LARGE body mass, 19th August, 2017



# Male, on 19<sup>th</sup> August 2017

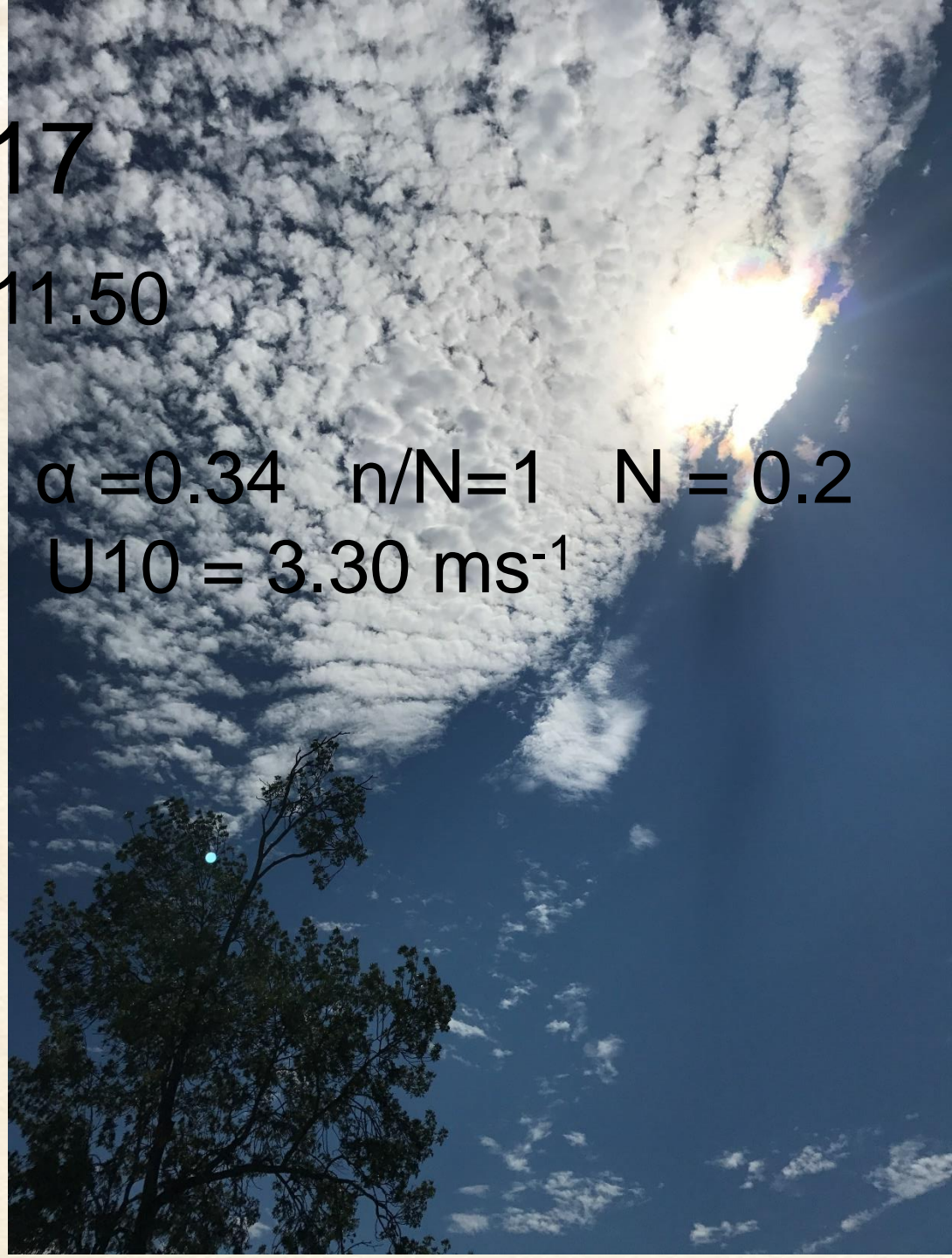
Male, SHORT versus TALL stature, 19th August, 2017



On 30<sup>th</sup> July 2017

time interval: 11.0 – 11.50

$Q_o = 2.876 \text{ MJm}^{-2}\text{h}^{-1}$     $\alpha = 0.34$     $n/N = 1$     $N = 0.2$   
 $T_a = 30 \text{ }^\circ\text{C}$     $r = 40\%$     $U_{10} = 3.30 \text{ ms}^{-1}$



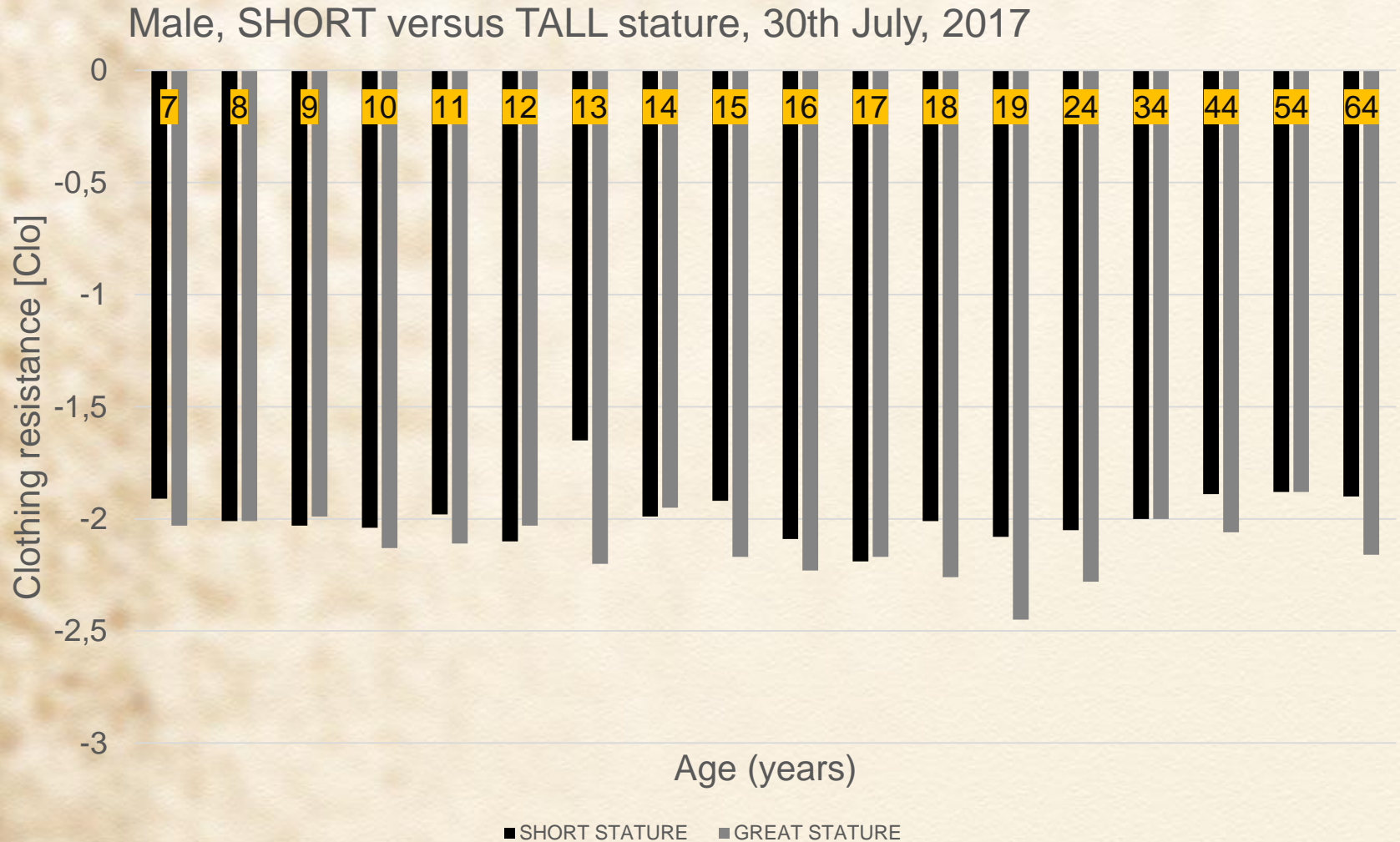


# Male, on 30<sup>th</sup> July 2017

Male, SMALL versus LARGE body mass, 30th July, 2017



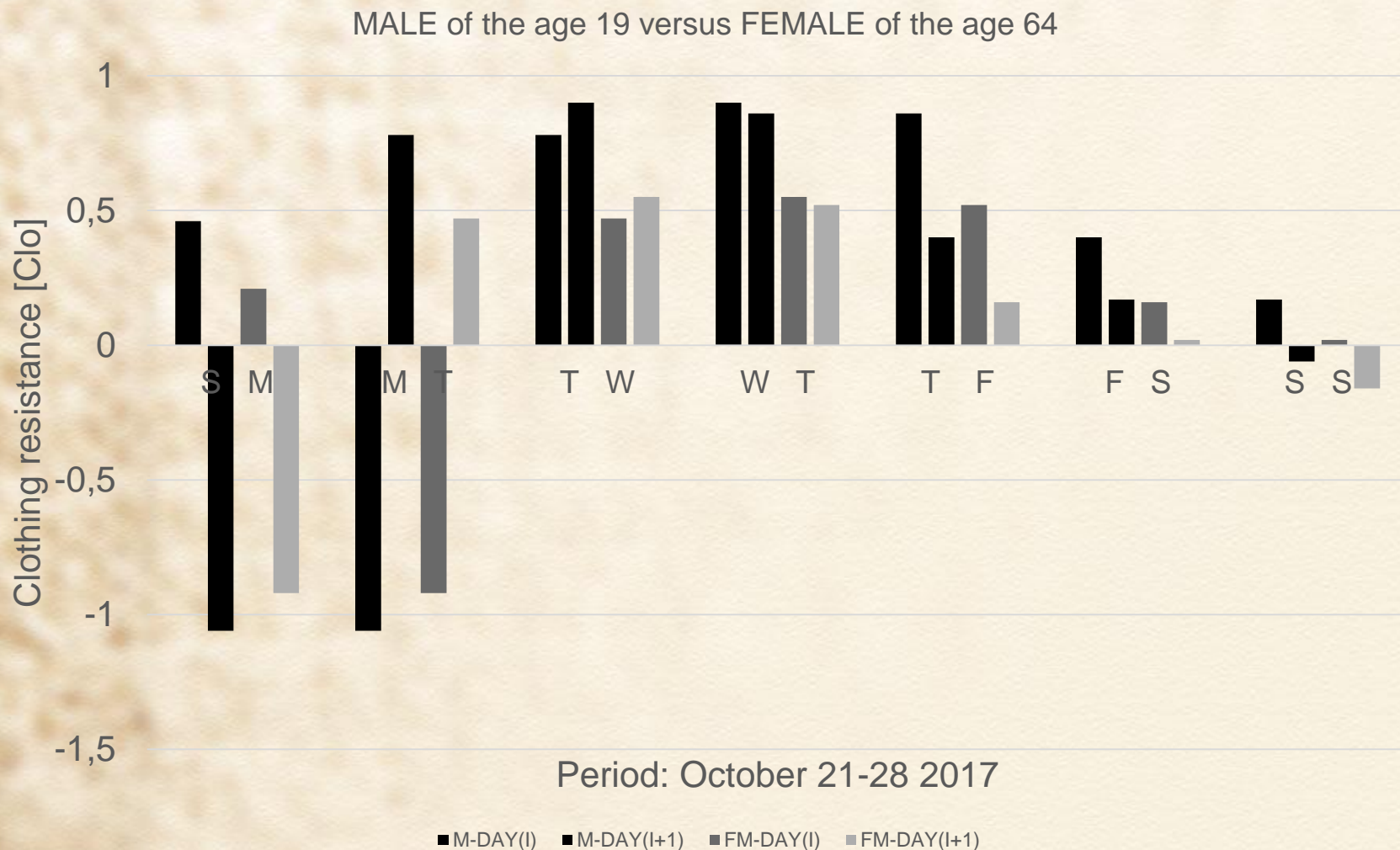
# Male, on 30<sup>th</sup> July 2017



# Comparison of weather and interperson human variation effects

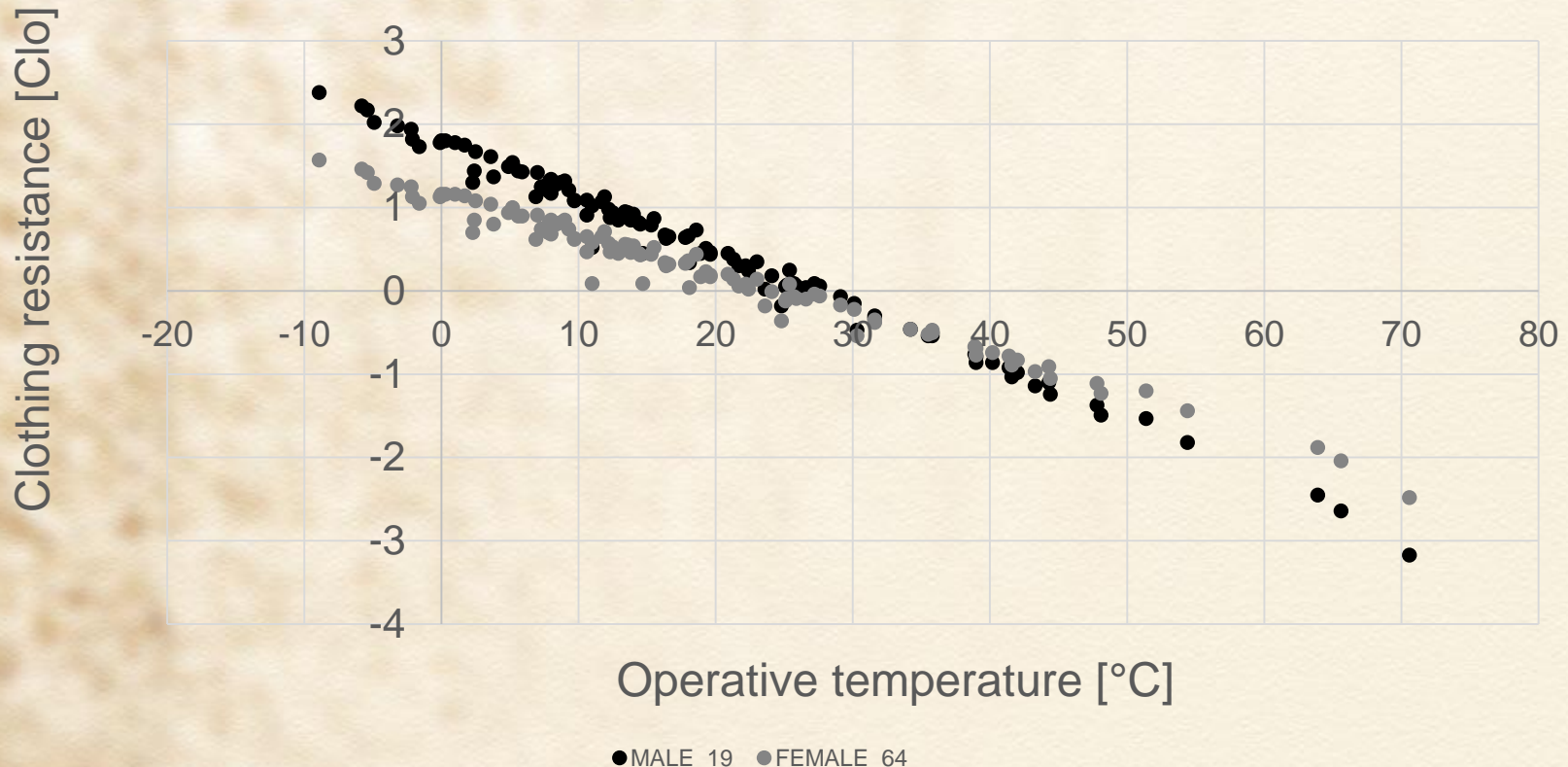
# Eight days: 21 – 28 October 2018

## Two persons: male-19 – female-64



# $r_{clo} - T_o$ dependence for a 19 years male (57.1 kg, 195 cm) and a 64 years female (68 kg, 146 cm)

$T_o - r_{clo}$  dependence for male 19 years and female 64 years



# Conclusions

In this presentation, I focused on  $r_{cl}$ .  $r_{cl}$  expresses

- warming effect in the cold and
- cooling effect in the warm weather

which is needed for reaching heat balance of the human body-clothing system.

So far,  $r_{cl}$  is used only for characterizing cold climates! **It is not used for characterizing warm weather or climate at all.**

# Conclusions

- $r_{cl}$  seems to be suitable for characterizing thermal impact of weather variations (changes from warm to cold or from cold to warm) on the humans.
- $r_{cl}$  depends not only on weather but also on metabolic rate! Consequently it varies from person to person, when the weather is the same.
- It seems to be that interperson variation is mostly determined by variations in body mass.

# Conclusions

- In general,  $r_{cl}$  changes induced by weather changes are much greater than  $r_{cl}$  changes induced by interperson variations.
- Note that  $r_{cl}$  differences between persons of small and large body mass can reach 0.5 [Clo] which is not negligible at all.



# Conclusions

- Lastly, our basic question, how should we be clothed today, will remain perpetually.

# References

- Dubois D and Dubois EF, 1915: The measurement of the surface area of Man. Arch. Intern. Med., 15, 868-881.
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